



## Oxidation Catalysis

## Catalytic Consequences of the Thermodynamic Activities at Metal Cluster Surfaces and Their Periodic Reactivity Trend for Methanol Oxidation\*\*

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Abstract: The periodic reactivity trend and the connection of kinetics to the thermodynamic activity of oxygen are established for the oxidation of methanol on metal clusters. Firstorder rate coefficients are a single-valued function of the  $O_2$ -to-CH<sub>3</sub>OH ratio, because this ratio, together with the rate constants for O2 and CH3OH activation, determine the oxygen chemical potential, thus the relative abundance of active sites and bulk chemical state of the clusters. CH3OH activation rate constants on oxygen-covered Ag, Pt, and Pd and on RuO<sub>2</sub> clusters vary with the metal-oxygen binding strength in a classical volcano-type relation, because the oxygenbinding strength directly influences the reactivities of oxygen as Habstractors during the kinetically relevant CH3OH activation step. The differences in oxygen thermodynamic activity lead to five orders of magnitude variation in rates (Pt >  $Pd > RuO_2 > Ag$ , 373 K), because of its strong effects on the activation enthalpy and more prominently activation entropy in CH<sub>3</sub>OH activation.

he direct relation between chemical potentials at catalytic surfaces and their reactivities has been recognized for oxidation,[1] dehydrogenation,[2] and ammonia synthesis[3] reactions. Reactivities during oxidation reactions (CH4 on  $Pt^{[1a]}$  and  $Pd;^{[1c,d]}C_2H_6$  on  $Pt;^{[1b]}NO$  on  $Pt,^{[1e]}Pd,^{[1f]}Rh,^{[1g]}$  and Co; [1g] CH3OCH3 on Pt, Pd, and Rh; [1h] CO on Au[1i] and Pt[1j-1]) on metal or oxide clusters vary strictly with the instantaneous oxygen chemical potential at cluster surfaces, as it dictates the relative abundances of chemisorbed oxygen and metal site and the thermodynamic tendency for clusters to tether between metal and oxide states. [1c,f,4] Chemical potentials at catalytic surfaces are unique to the specific reaction system because their instantaneous values are given by the kinetic coupling of oxidant (O<sub>2</sub>) and reductant (CH<sub>4</sub>, C<sub>2</sub>H<sub>6</sub>, CH<sub>3</sub>OCH<sub>3</sub>, or CO) activation steps, as these steps form and remove surface species, thus dictating the relative surface abundances and local thermodynamic activities, as previously established.<sup>[1]</sup> Oxygen chemical potentials at metal cluster surfaces are a strict function of the rate constants for the activation of oxidant and reductant and their pressures. [1a,b] The oxygen chemical potentials become independent of these rate constants in the limiting case of quasi-equilibrated oxidant activation; instead, their values and the coverages of oxygen atoms depend strictly on the equilibrium constant and the pressures of chemical species involved in generating the reactive oxygen intermediates. [1c-g] Previously established examples for this limiting condition include: 1)  $CH_4$ – $O_2$  reactions on Pd or PdO, [1c,d] during which the oxygen chemical potentials vary with the equilibrium constant for  $O_2$  dissociation and  $O_2$  pressure and 2) NO– $O_2$  reactions on Pt, Pd, Rh, or Co, [1e-g] which vary with the equilibrium constant for NO-to- $NO_2$  interconversion and  $NO_2$ -to-NO ratio.

Oxidative dehydrogenation of CH<sub>3</sub>OH is a specific class of oxidation reactions that use molecular oxygen to catalytically transform CH<sub>3</sub>OH on metal or metal-oxide clusters to a broad range of value-added, oxygen-containing products (for example, HCHO, HCOOCH<sub>3</sub>, and sequentially to CH<sub>3</sub>OCH<sub>2</sub>OCH<sub>3</sub>). The catalytic rates, their connection with the thermodynamic activities of surface oxygen species, and the periodic reactivity trend have, however, not been established. Here, we report the mechanistic synergy and a generalized connection between the first-order rate coefficients and operating oxidant-to-reductant ratios for methanol oxidative dehydrogenation, which forms CO2, HCHO, HCOOCH<sub>3</sub>, and H<sub>2</sub>O on Ag, Pt, Pd, and Ru clusters (in either metal or oxide state). First-order rate coefficients for CH<sub>3</sub>OH oxidative dehydrogenation (ODH) are defined as the methanol turnover rates ( $r_{\text{ODH,M,i}}$ , per exposed metal site, subscript M denotes Ag, Pt, Pd, or Ru; subscript i denotes kinetic regime i, i = 1, 2, or 3) divided by methanol pressure and denoted as  $k^{1\text{st}}_{\text{ODH,M,i}}$  [Eq. (1)]:

$$k_{\text{ODH,M,i}}^{\text{lst}} = \frac{r_{\text{ODH,M,i}}}{|CH_3OH|} \tag{1}$$

Their values on Ag, Pt, Pd, and Ru clusters (average diameter: 2.8–3.2 nm, measured at a reduced state) are a single-valued function (f) of O<sub>2</sub>-to-CH<sub>3</sub>OH ratios [k<sup>1st</sup><sub>ODH,M,i</sub>=f(O<sub>2</sub>/CH<sub>3</sub>OH)], irrespective of the specific O<sub>2</sub> and CH<sub>3</sub>OH pressures, as shown in Figure 1. Selectivities of carbon-containing products (CO<sub>2</sub>, HCHO, and HCOOCH<sub>3</sub>) during CH<sub>3</sub>OH-O<sub>2</sub> reactions also vary with the O<sub>2</sub>-to-CH<sub>3</sub>OH ratios. The selectivity dependencies for each species, however, differ among the metals, because the relative rates of primary and secondary reactions are influenced to different extents by both the O<sub>2</sub>-to-CH<sub>3</sub>OH ratio<sup>[5]</sup> and oxygen-metal bond strength. The generalized relation in Figure 1 reflects the direct, macroscopic relation between kinetic properties (rate coefficients) and thermodynamic quantities, namely the

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[\*\*] This study was supported by Natural Sciences and Engineering Research Council of Canada and Canada Foundation for Innovation.

Supporting information for this article is available on the WWW

Supporting information for this article is available on the WWW under http://dx.doi.org/10.1002/anie.201405232.

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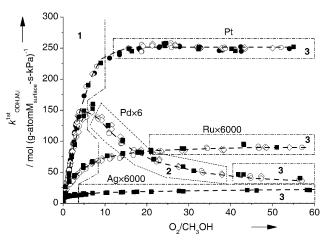


Figure 1. First-order rate coefficients ( $k^{1\text{st}}_{\text{ODH,M,i}} = r_{\text{ODH,M,i}} [\text{CH}_3\text{OH}]^{-1}$ , M = Ag, Pt, Pd, or Ru) for CH<sub>3</sub>OH oxidative dehydrogenation (ODH) at 373 K on Ag, Pt, Pd, and Ru clusters (1.0 wt% metal on SiO<sub>2</sub>, 2.8–3.2 nm mean metal cluster diameters) as a single-valued function of O<sub>2</sub>-to-CH<sub>3</sub>OH ratio. The CH<sub>3</sub>OH pressure are 1.75 (♠), 1.5 (♦), 1.25 (○), and 1 kPa (■). (2.52×10<sup>4</sup> cm³ (g<sub>cat</sub>-h)<sup>-1</sup> for Ag, 1.26×10<sup>8</sup> cm³ (g<sub>cat</sub>-h)<sup>-1</sup> for Pt and Pd, 1.26×10<sup>5</sup> cm³ (g<sub>cat</sub>-h)<sup>-1</sup> for Ru; kinetic regimes 1, 2, and 3 for CH<sub>3</sub>OH oxidative dehydrogenation are labeled as 1, 2, and 3, respectively).

oxygen chemical potentials at catalytic sites prescribed by the operating O<sub>2</sub>-to-CH<sub>3</sub>OH ratio and the rate constants for oxygen and methanol activation. Similar relations connecting reactivities to the free energies of adsorbates have been proposed for methanol electrooxidation<sup>[6]</sup> based on density functional theory study. The binding energies of adsorbates on metal surfaces and the activation barriers for methanol dehydrogenation<sup>[7]</sup> or oxygen dissociation<sup>[8]</sup> have also been calculated and shown to follow a Brønsted-Evans-Polanyitype relation. Our findings, however, provide the direct, experimental evidence of a generalized relation between kinetic and thermodynamic properties. This relation, denoted here as the "kinetic phase diagram" (Figure 1), provides the reactivity trend connecting catalytic behavior to the instantaneous thermodynamic activities and is applicable irrespective of metal identity, chemical state, differences in exposed facets, and variation in binding strengths for the case of irreversible oxygen activation.

During steady-state methanol oxidation, the oxidant-toreductant ratio determines the relative abundances of chemisorbed oxygen atoms (O\*) and unoccupied metal sites (\*) at cluster surfaces, derived from Equation (2):

$$\frac{dO^*}{dt} = 0 = \nu_{O_2} r_{O_2,f} - \nu_{O_2} r_{O_2,r} - \nu_{CH_3OH} r_{CH_3OH}$$
(2)

where  $r_{{\rm O}_2,f}$  and  $r_{{\rm O}_2,r}$  denote the forward and reverse rates of O<sub>2</sub> activation, respectively, and  $r_{{\rm CH}_3{\rm OH}}$  denotes the CH<sub>3</sub>OH activation rates.  $\nu_{{\rm O}_2}$  and  $\nu_{{\rm CH}_3{\rm OH}}$  are the stoichiometric coefficients for O<sub>2</sub> and CH<sub>3</sub>OH activation ( $\nu_{{\rm O}_2}$  =2 and  $\nu_{{\rm CH}_3{\rm OH}}$  depend on the number of O\* involved in methanol activation), respectively. Equation (3) gives the relative abundance of oxygen-to-metal sites ([O\*]/[\*]) as a function (g) of the rate constants for oxygen activation ( $k_{{\rm O}_2,f}$ ), O\*

recombination  $(k_{O_2,r})$ , and methanol dissociation  $(k_{CH_3OH})$  and the partial pressures of oxygen ([O<sub>2</sub>]) and methanol ([CH<sub>3</sub>OH]) (see derivation in Section S.1 in the Supporting Information):

$$\frac{[\mathbf{O}^*]}{[^*]} = g(k_{\mathbf{O}_2,f}, k_{\mathbf{O}_2,r}, k_{\mathbf{CH}_3\mathbf{OH}}, [\mathbf{CH}_3\mathbf{OH}], [\mathbf{O}_2])$$
 (3)

which simplifies to Equation (4),

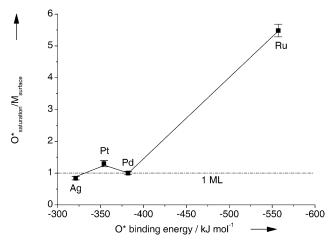
$$\frac{[O^*]}{[^*]} = \left(\frac{k_{O_2,f}[O_2]}{k_{CH_2OH}[CH_3OH]}\right)^{0.5} = g\left(\frac{[O_2]}{[CH_3OH]}\right)$$
(4)

when CH<sub>3</sub>OH activation on an O\* atom pair limits rates and O\* reaction with CH<sub>3</sub>OH occurs at much higher rates than O\* recombinative desorption  $(r_{O_2,r} \ll r_{CH_3OH})$ .

The first-order rate coefficients  $[k^{1st}_{ODH,M,i} = r_{ODH,M,i}]$ [CH<sub>3</sub>OH]<sup>-1</sup>, Eq. (1)] vary with O<sub>2</sub>-to-CH<sub>3</sub>OH ratios differently in two distinct kinetic regimes on Ag, Pt, and Ru clusters (regimes 1 and 3, as labelled in Figure 1). In regime 1 (O<sub>2</sub>-to-CH<sub>3</sub>OH ratios of 0.1-4 for Ag, 0.1-9 for Ru, and 0.1-10 for Pt), first-order rate coefficients increase with increasing O<sub>2</sub>to-CH<sub>3</sub>OH ratio  $(k_{ODH,M,1}^{1st} = k_{M,O,f}[O_2][CH_3OH]^{-1}, k_{M,O,f}$ denotes the oxygen dissociation rate constant on metal M), because oxygen dissociation on metal sites limits catalytic turnovers.<sup>[5]</sup> As the O<sub>2</sub>-to-CH<sub>3</sub>OH ratio exceeds a critical value  $(O_2$ -to-CH<sub>3</sub>OH  $\geq$  4, 9, and 10 for Ag, Ru, and Pt, respectively), which corresponds to regime 3, first-order rate coefficients become a constant value  $(k^{1st}_{ODH,M,3} = k_{M,[O^*-O^*]},$  $k_{\mathrm{M,[O^*-O^*]}}$  denotes the rate constant for methanol activation assisted by an oxygen atom pair), during which CH<sub>3</sub>OH activation on cluster surfaces with O\* coverages either at saturation or do not vary with oxygen chemical potential becomes the kinetically relevant step, as derived elsewhere.<sup>[5]</sup> On Pd clusters, similar kinetic regimes (O<sub>2</sub>-to-CH<sub>3</sub>OH ratios of 0-7 and 40-60 for regimes 1 and 3, respectively) and kinetic dependencies are observed but with an additional regime (regime 2) detected between regimes 1 and 3, in which the first-order rate coefficients are inversely proportional to the O2-to-CH2OH ratio  $(k^{1\text{st}}_{\text{ODH,Pd,2}} = (k_{\text{Pd,[O^*-*]}})^2$  $(k_{Pd,O_2,f})^{-1}\{[O_2]/[CH_3OH]\}^{-1}, k_{Pd,[O^*,*]}$  denotes methanol activation rate constant on O\* and \* site-pairs, derived in the Supporting Information in Section S2). These kinetic dependencies in regime 2 are consistent with the predominant involvement of oxygen-oxygen vacancy pairs (O\*-\*) for CH<sub>3</sub>OH activation on Pd cluster surfaces nearly saturated with O\*. As a result, the first-order rate coefficients in regime 2 decrease with increasing O<sub>2</sub>-to-CH<sub>3</sub>OH ratio until the O<sub>2</sub>-to-CH<sub>3</sub>OH ratio reaches about 40 (regime 3), above which they maintain at a lower, constant value [5  $\pm$  0.5 mol (gatom  $Pd_{surface}$ -s-kPa)<sup>-1</sup>, 373 K].

Isothermal volumetric oxygen uptakes (0–30 kPa  $O_2$ ) at 373 K (Figure 2 and Section S3) were used to determine the extent to which metal clusters covered with O\* and ultimately formed bulk oxides at the oxygen chemical potential range used for methanol oxidation. At 373 K, Ag and Pd clusters maintain their metallic bulk with surface metal sites predominantly occupied by O\* (O\* $_{\rm saturation}/M_{\rm surface}=0.84\pm0.05$  and  $1.00\pm0.05$  for Ag and Pd clusters, which correspond to





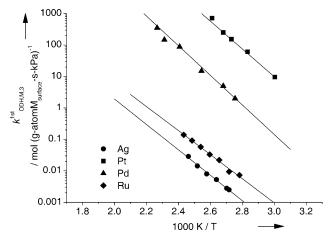
**Figure 2.** The atomic ratios of oxygen to exposed metal  $(O^*_{saturation}/M_{surface}, M=Ag, Pt, Pd, Ru)$  at the limit of oxygen saturation at 373 K, extracted from isothermal oxygen uptakes  $(O-30 \text{ kPa } O_2)$  on Ag, Pt, Pd, and Ru clusters of 2.8—3.2 nm average diameters, are plotted against the DFT-calculated  $O^*$  binding energy on closed packed metal surfaces. [9] See Section S.3 for the oxygen uptake isotherms.

O\*<sub>saturation</sub>/M<sub>total</sub> of 0.31 and 0.33, respectively; O\*<sub>saturation</sub>, M<sub>surface</sub>, M<sub>total</sub> denote the number of O\* atoms at surface saturation, the number of exposed metal atoms, and the number of total metal atoms, respectively) for O<sub>2</sub> pressures up to 30 kPa without the concurrent presence of methanol. Under these conditions, Pt cluster surfaces are saturated with O\* with traces of oxygen dissolved into the cluster bulk  $(O*_{saturation}/Pt_{surface}\,{=}\,1.3\pm0.1$  and  $O*_{saturation}/Pt_{total}\,{=}\,0.47).$  In contrast, the Ru cluster is oxidized above 1.3 kPa O2 with an atomic oxygen-to-exposed Ru  $(O*_{saturation}/Ru_{surface})$  ratio of  $5.5 \pm 0.2$ , which corresponds to an  $O*_{saturation}/Ru_{total}$  of 1.7, approaching the value expected for complete bulk oxidation  $(O*_{saturation}/Ru_{total} = 2)$ . The bulk  $RuO_2$  formation is consistent with its strong thermodynamic tendency towards oxidation, as predicted from extrapolation of measured phase boundary at  $1073-1773 \text{ K}^{[10]}$  to occur at  $10^{-27}$  Pa O<sub>2</sub> at 373 K.

As oxygen chemical potentials and O<sub>2</sub>-to-CH<sub>3</sub>OH ratios increase (Figure 1), the changes in rate coefficient values and their dependencies on the O<sub>2</sub>-to-CH<sub>3</sub>OH ratio reflect a dynamic shift in the identity of active sites on metallic Ag, Pt, and Pd clusters from uncovered to covered with O\* and on Ru as Ru undergoes bulk oxidation. The single-value functional dependence of rate coefficients on the operating O<sub>2</sub>-to-CH<sub>3</sub>OH ratios in Figure 1, which appears to be general for methanol oxidation catalysis, results from the direct connection between kinetics and the thermodynamic activities at cluster surfaces, the latter determine the availability of reactive oxygen, the nature of active sites, and in turn the identity of the kinetically relevant step.

We establish next the periodic reactivity trend among these metal clusters and interpret the trend in terms of activation enthalpies and entropies. In regime 3, methanol conversion rates remain unchanged with  $O_2$  pressures (the reaction order with respect to oxygen is  $0 \pm 0.1$ ), thus first-order rate coefficients ( $k^{\rm lst}_{\rm ODH,M,3} = k_{\rm M,[O^*-O^*]}$ ,  $M = {\rm Ag}$ , Pt, Pd, or Ru, 333–492 K) reflect the reactive collision frequencies of

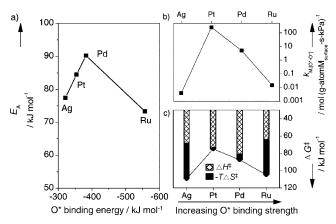
 $CH_3OH$  on metal (Ag, Pt, Pd) or oxide (RuO<sub>2</sub>) cluster surfaces either saturated with O\* or with O\* coverages insensitive to changing the  $O_2$ -to- $CH_3OH$  ratio. These rate coefficients differ by five orders of magnitude in the decreasing reactivity order of  $Pt > Pd > RuO_2 > Ag$ , as shown in an Arrhenius plot in Figure 3. Density functional



**Figure 3.** First-order rate coefficients ( $k^{\text{lst}}_{\text{ODH},M,3} = k_{\text{M,}(O^{\text{s.}},O^{\text{s.}})}$ ) for CH<sub>3</sub>OH oxidative dehydrogenation (ODH) on Ag, Pt, Pd, and Ru clusters (2.8–3.2 nm) in kinetic regime 3 at high O<sub>2</sub>-to-CH<sub>3</sub>OH ratios (O<sub>2</sub>-to-CH<sub>3</sub>OH ratios of 20–60 for Ag, 10–60 for Pt, 40–60 for Pd, and 20–60 for Ru). (2.52 × 10<sup>4</sup> cm³ ( $g_{\text{cat}}$ -h) $^{-1}$  for Ag, 1.26 × 10<sup>8</sup> cm³ ( $g_{\text{cat}}$ -h) $^{-1}$  for Pt and Pd, 1.26 × 10<sup>5</sup> cm³ ( $g_{\text{cat}}$ -h) $^{-1}$  for Ru clusters).

theory calculations, [11] temperature-programmed desorption, [12] and Fourier transform infrared reflection absorption spectroscopy [13] on oxygen-covered metal [Ag(211), [11a] Ag(110), [12a] Cu(211), [11a] Pt(111), [12b] Pt(100), [12c] Pt(211), [11a] Pd(211), [11a] Rh(211), [11a] and Ru(0001) [13] or oxide [RuO\_2-(110) [11b,14]] surfaces show that O–H bond cleavage is the predominant CH<sub>3</sub>OH activation route, as opposed to the case on uncovered metal surfaces, on which either O–H bond [Ag(110), [7] Cu(110), [7,15] Pt(111), [7,16] Pd(111), [7] and Ru-(0001) [13b,17] or C–H bond [Pt(111) [18] and Pd(111) [19]] scission of CH<sub>3</sub>OH may occur. Chemisorbed oxygen atoms may act as a Brønsted base [11a,12] for abstracting the H from the hydroxy group, because of its higher acidity than the methyl group (the p $K_a$  values for OH and CH<sub>3</sub> groups are 15–19 and 45–60, respectively). [20]

Reaction barriers and pre-exponential factors derived from the Arrhenius dependence in Figure 3 reflect, in the framework of transition-state theory, the activation enthalpies and entropies required for the formation of O–H scission transition state of CH<sub>3</sub>OH. The barriers (Ag: 77 kJ mol<sup>-1</sup>; Pt: 84 kJ mol<sup>-1</sup>; Pd 90 kJ mol<sup>-1</sup>; in Figure 4a) increase with increasing O\* binding strength [calculated at low O\* coverages, 321 kJ mol<sup>-1</sup> on Ag(111), 354 kJ mol<sup>-1</sup> on Pt(111), and 382 kJ mol<sup>-1</sup> on Pd(111)<sup>[9]</sup>] following a Brønsted-Evans-Polanyi-type relation, consistent with similar trends reported for H abstraction by chemisorbed oxygen during methane<sup>[1a,b]</sup> and dimethyl ether<sup>[21]</sup> oxidation on Pt clusters as well as hydrogen oxidation on metal oxides (Co<sub>3</sub>O<sub>4</sub>, CuO, MnO<sub>2</sub>, Cr<sub>2</sub>O<sub>3</sub>, Fe<sub>2</sub>O<sub>3</sub>, V<sub>2</sub>O<sub>5</sub>, ZnO, and TiO<sub>2</sub>),<sup>[22]</sup> because weakly bound oxygen



**Figure 4.** a) Volcano plots of activation barriers ( $E_A$ ), b) rate constants ( $k_{M,[0^*,0^*]}$ , 373 K), and c) activation free energies ( $\Delta G^+$ ), which include activation enthalpies ( $\Delta H^+$ ) and entropies (plotted as  $-T\Delta S^+$ ), for CH<sub>3</sub>OH oxidative dehydrogenation on O\*-covered Ag, Pt, and Pd clusters and RuO<sub>2</sub> clusters measured from this work plotted against the O\* binding energy<sup>[9]</sup> calculated from DFT on closed packed metal surfaces. (O<sub>2</sub>-to-CH<sub>3</sub>OH ratios of 20–60 for Ag, 10–60 for Pt, 40–60 for Pd, and 20–60 for Ru).

atoms are more basic and thus more effective for H abstraction.  $^{[5]}$  On  $RuO_2$  clusters, the barrier is lower (73 kJ mol $^{-1}$ ) despite the higher oxygen-binding strength [calculated for O\* on Ru(0001) to be 557 kJ mol $^{-1}$  [9], apparently caused by the different active sites (e.g.  $Ru^{4+}$ - $O^{2-}$ ) found on oxide than metal surfaces that stabilize the transition state to a larger extent. A similar trend in activation barrier between oxide and O\*-covered metal surfaces has been reported for C–H bond activation on Pd (the C–H activation barrier is 61 kJ mol $^{-1}$  on PdO and 158 kJ mol $^{-1}$  on O\* covered Pd),  $^{[1d]}$  caused predominantly by the stabilization of C–H activation transition state in a tight, four-center [Pd $^{2+}$ -C-H-O $^{2-}$ ]\* structure on PdO unattainable on O\*-saturated Pd surfaces, as the latter lack accessible metal sites.  $^{[1d]}$ 

Aside from activation barriers ( $\Delta E_A < 20 \text{ kJ mol}^{-1}$ ), the marked differences in rate constants  $(k_{\text{Pt,[O^*-O^*]}}(k_{\text{Ag,[O^*-O^*]}})^{-1})$ 10<sup>5</sup>, 373 K, Figure 4b) are caused to an even larger extent by the differences in activation entropies (Figure 4c). Activation entropies (entropy losses) required to evolve the transition state are essentially negligible on Pt  $(0\pm 10\,\mathrm{J\,mol^{-1}}\,K^{-1})$  and less negative on Pd  $(-18\pm10\,\mathrm{J\,mol^{-1}\,K^{-1}})$  than on Ag  $(-110 \pm 10 \,\mathrm{J}\,\mathrm{mol}^{-1}\,\mathrm{K}^{-1})$  and  $\mathrm{RuO}_2$   $(-109 \pm 10 \,\mathrm{J}\,\mathrm{mol}^{-1}\,\mathrm{K}^{-1})$ . These values are consistent with the low entropy losses required for the formation of the [CH<sub>3</sub>O'-HO\*]<sup>‡</sup> transition state on O\*-saturated Pt and Pd cluster surfaces, on which the oxygen vacancies are sparse and the CH<sub>3</sub>O· fragments interact weakly with one of the O\* in O\*-O\* site pairs and thus retain most of its gas-phase entropy (entropy loss associated with the removal of H from CH<sub>3</sub>O-H(g) is estimated to be  $-2 \,\mathrm{J}\,\mathrm{mol}^{-1}\,\mathrm{K}^{-1}\,^{[23]}$ ). Activation entropies are significantly more negative on  $RuO_2$  ( $-109 \pm 10 \text{ J mol}^{-1}\text{K}^{-1}$ ), apparently because RuO2-exposed (110) facets with accessible Ru4+ atoms that may stabilize CH3O fragments at the transition state.<sup>[14]</sup> The activation entropy on Ag clusters  $(-110\pm10\,\mathrm{J\,mol^{-1}\,K^{-1}})$  is similar to RuO<sub>2</sub>, apparently the presence of oxygen vacancies (exposed Ag atoms) interact with CH<sub>3</sub>O fragments at the transition states, consistent with oxygen uptake of less than a monolayer (O\*<sub>saturation</sub>/Ag<sub>surface</sub> =  $0.84 \pm 0.05$  at 373 K, Figure 2) at oxygen chemical potentials (30 kPa  $O_2$ , without CH<sub>3</sub>OH) larger than those during CH<sub>3</sub>OH-O<sub>2</sub> catalysis at the same  $O_2$  pressure, because CH<sub>3</sub>OH in the latter case acts as O\* scavenger to reduce the oxygen chemical potentials. These activation entropy losses indicate that CH<sub>3</sub>O fragments interact weakly with O\*-saturated Pt and Pd surfaces but more strongly with RuO<sub>2</sub> and Ag surfaces partially covered with O\* at the transition state.

In conclusion, first-order rate coefficients for methanol oxidative dehydrogenation are a single-valued function of the operating O<sub>2</sub>-to-CH<sub>3</sub>OH ratios. This relation appears to be general and results in a kinetic phase diagram that relates kinetic properties to thermodynamic quantities, presented here in terms of the O2-to-CH3OH ratio as a surrogate of oxygen chemical potentials and oxygen coverages when oxygen activation is irreversible. Reactive collision frequencies for CH<sub>3</sub>OH activation on O\*-covered surfaces vary with the oxygen-binding strengths in a classical volcano-type relation because oxygen-binding strengths influence oxygen reactivities as H abstractors and, more importantly, the stability of methoxy fragments at the transition state. The significant differences in entropy losses require for CH<sub>3</sub>OH to evolve the transition state, together with those in activation barriers, albeit to a lesser extent, lead to five orders of variation in rate coefficients at 373 K.

## Experimental Section

Supported metal clusters (1.0 wt% Ag, Pt, Pd, and Ru) were prepared by incipient wetness impregnation of SiO<sub>2</sub> (330 m<sup>2</sup> g<sup>-1</sup>, 0— 75 µm) with an aqueous solution of the respective precursors [AgNO<sub>3</sub>,  $Pt(NH_3)_4(NO_3)_2$ ,  $Pd(NO_3)_2$ , and  $Ru(NO)(NO_3)_3$ ]. The SiO<sub>2</sub> samples impregnated with Ag, Pt, and Pd were treated in ambient air at 353 K for 24 h and then in flowing dry air (Linde, 99.99%,  $0.3 \text{ cm}^3 \text{ g}^{-1} \text{ s}^{-1}$ ,  $0.033 \text{ K s}^{-1}$ ) at 773 K (for Ag) or 673 K (for Pt and Pd) for 5 h, followed by treating in 5% H<sub>2</sub>/He (Linde certified,  $0.3~\text{cm}^3\,\text{g}^{-1}\,\text{s}^{-1}, 0.033~\text{K}\,\text{s}^{-1})$  at 673 K for 1 h.  $\text{SiO}_2$  impregnated with Ru was treated in ambient air at 353 K for 24 h and in 5% H<sub>2</sub>/He  $(0.4 \text{ cm}^3 \text{ g}^{-1} \text{ s}^{-1}, 0.033 \text{ K s}^{-1})$  at 623 K for 3 h. The dispersions of metal clusters were determined from volumetric adsorption methods based on the uptakes of strongly chemisorbed H<sub>2</sub> (313 K for Pt and Ru) or O2 (313 K for Pd or 433 K for Ag). Average cluster sizes were estimated from these dispersion values by assuming hemispherical cluster shapes. The chemical state of metal clusters was determined by isothermal volumetric oxygen uptakes at 373 K. CH<sub>3</sub>OH oxidative dehydrogenation rates were measured in a tubular flow reactor (Quartz, 8.0 mm ID) that contains metal clusters (0.05-250 mg 1.0 wt %  $M/SiO_2$ , where M = Pt, Pd, Ru, or Ag) diluted extensively with silica (285 mg) at intra- and interpellet scales to eliminate transport corruptions, confirmed from measured rates and selectivities unaffected by further dilutions. [5] Prior to rate measurements, the samples were treated in flowing H<sub>2</sub> (Linde, 99.99%) at 623 K for 1 h. All gases (He, 5.5% O<sub>2</sub>/He, O<sub>2</sub>) were independently controlled by electronic mass flow controllers and CH<sub>3</sub>OH (Sigma Aldrich, 99.8%) was introduced with a syringe infusion pump. Reactants and products were analyzed by an online micro gas chromatography (Varian CP-4900) equipped with HP-PLOT U and Mol Sieve 5A columns, both of which were connected to thermal conductivity detectors.

Received: May 13, 2014 Revised: July 28, 2014

Published online: September 15, 2014



**Keywords:** heterogeneous catalysis · methanol · oxidation · oxygen chemical potential · periodic reactivity

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